

Economics 470/570  
Midterm 2  
Winter 2007

Definitions

- ① The Quantity equation says that  $MV = PY$ , that is, (Money)(velocity) = (Price)(real income).
- ② Aggregate demand is the sum of consumption by households, investment by businesses, expenditures on goods + services by the government, and net foreign demand, i.e. exports minus imports. Thus,  
$$AD = C + I + G + NX$$
- ③ Policy effectiveness refers to the ability of government policy. If a given change in  $G$ ,  $T$ , or  $M$  has a larger impact on  $Y$ , we say policy is more effective.
- ④ This is the part of  $m^d$  unrelated to income or the  $i$ -rate. E.g., if the stock market becomes more risky (an autonomous factor),  $m^d$  will increase.

- ⑤ The LM curve shows all combinations of income and the interest rate at which money demand equals money supply
- ⑥ Crowding Out refers to a rise in the interest rate brought about by an increase in the deficit ( $G \uparrow$  or  $T \downarrow$ ).  
 When, say,  $G \uparrow \rightarrow i \uparrow \rightarrow I \downarrow \rightarrow S_o$ ,  $I$  is "crowded out"
- $$Y = C + I + G + N_x$$
- $\downarrow \quad \uparrow \quad \downarrow$
- $G \uparrow$  "crowds out"  $I$  and  $N_x$

## Part II

- ① Defensive open-market operations are the day-to-day actions that keep the M's growing along the target path. Corrections that "keep the car on the road." Dynamic Open-market Operations are actual changes in the course of monetary policy

[cont.]

Primary, seasonal, and secondary credit refer to discount window operations.

Primary credit: used to help with short-term liquidity problems, expect to repay quickly, not many restrictions on borrowing

Seasonal: helps a limited number of banks in agricultural and vacation areas to smooth reserves over the year

Secondary: Rarest of the three, given to banks with severe liquidity problems, must present a detailed repayment plan

The Fed doesn't use res. requirements to manage the money supply because

① it's too blunt an instrument, small changes in req. lead to big changes in m so fine-tuning is hard

② raising res. req. can cause liquidity problems, so policies are not easily reversible.

② The classical  $m^e$  curve is derived from the Quantity equation.

$$MV = PY. \text{ Assuming that velocity}$$

(1) essentially constant in SR,  
we can write

$$m^e = \left(\frac{1}{V}\right)(PY) = kPY$$

$$\text{where } k = \frac{1}{V}.$$

Notice that because the focus is on transactions (that's what the Q-equation captures), and  $i$  does not play a role.

However, in the Cambridge Version, which looks the same, they recognize both the Medium of Exchange and Store of Value functions of money. The Store of Value function does bring  $i$  into the model, albeit indirectly, and it is  
[cont.]

reflected as part of h. I.e., we can write:

$$m^d = k(i) (P\tau) \quad \text{where } k \downarrow \\ \text{when } i \uparrow$$

→ neg. relation between  
i and  $m^d$ .

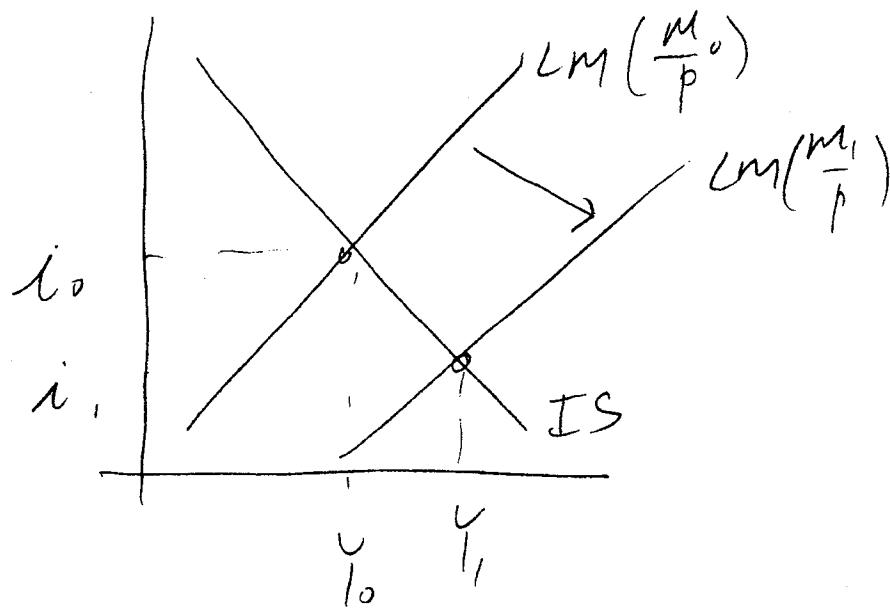
But, the ideas aren't very clear in Cambridge contributions, and Keynes and others clarify the role of the i-rate in subsequent work.

So, for U.S. economists in the classical tradition, i did not play a role. For Cambridge economists though, there was at least some recognition that i could play a role through the  $\sigma$  function for money

③

Graphically

Graph  
Shows:  $M \uparrow$   
 $\rightarrow i \downarrow$  and  $Y \uparrow$ .



Why?

When  $M \uparrow$ , real money ( $\frac{M}{P}$ )  $\uparrow$  since  $P$  fixed.

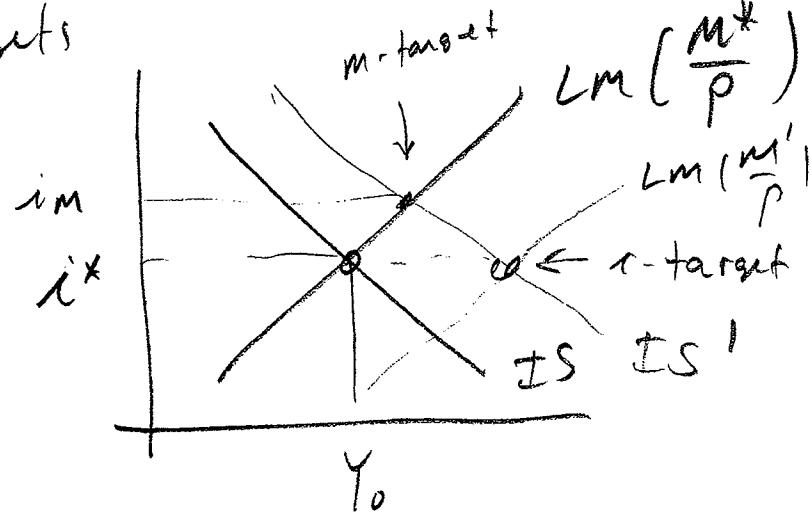
Thus,  $\frac{M}{P} > L$  ( $M >$  money demand), so, price of money ( $i$ ) falls. As  $i \downarrow$ ,  $IT \uparrow$   
 $\rightarrow Y^{AD} > Y$ ; and, inventories  $\downarrow$ .  
 $CT \uparrow$   
 $NX \uparrow$

The fall in inventories is a signal to increase  $T$ , so,  $YT$ .

Thus,  $M \uparrow \rightarrow i \downarrow$  and  $YT$  as in graph.

(7)

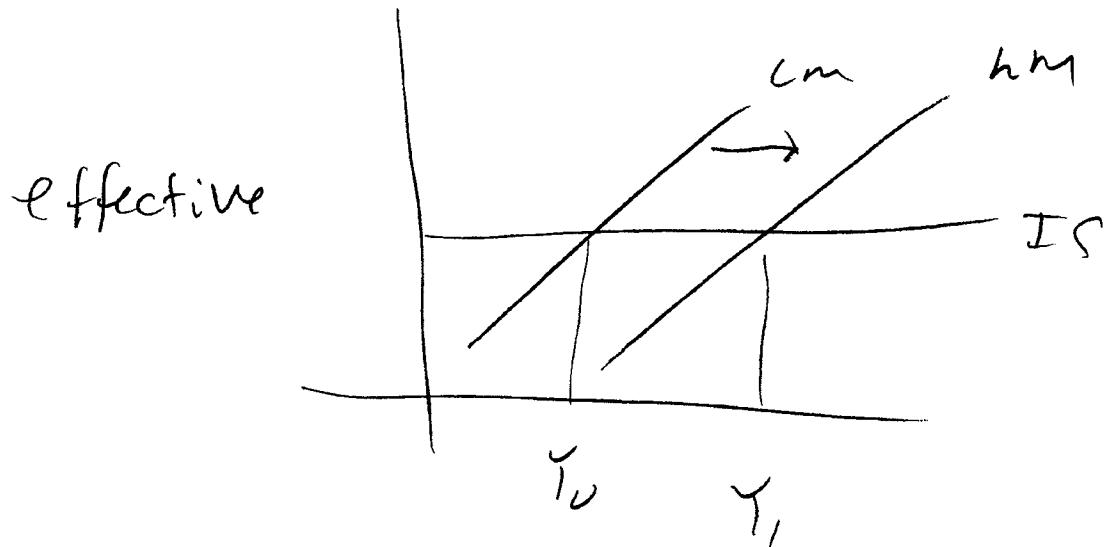
④ Start at targets  
 $i^*$ ,  $m^*$



Let IS shift  
 out. with  
 $m$ -target (stay

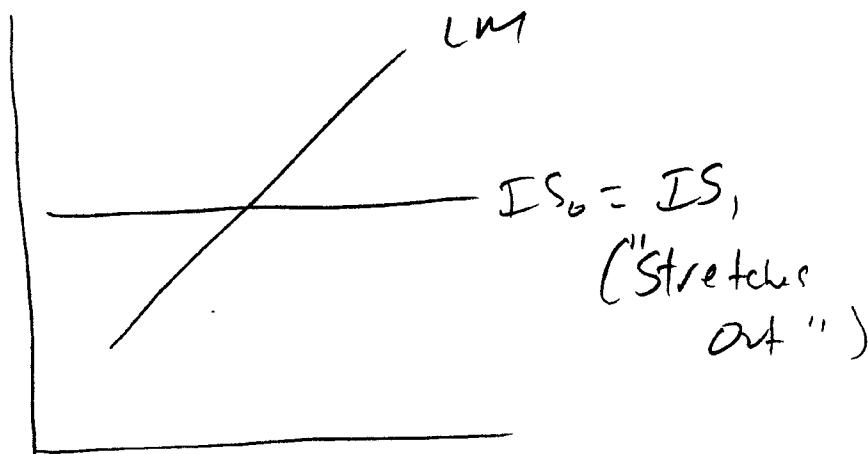
at  $m^*$ ), no longer at  $i^*$ , so, not at  
 both anymore. To go back to  $i^*$ ,  
 $m$  must ↑ to  $m'$ ; so, no longer  
 at  $m^*$ . So, can't hit both  
 after IS shifts, must choose one  
 or the other.

Mon  $\rightarrow$  complete resp Case



Fiscal,  
complete  
resp  
case

ineffective



Mon better than resp:

Summary

resp (full emp) Mon better than fiscal

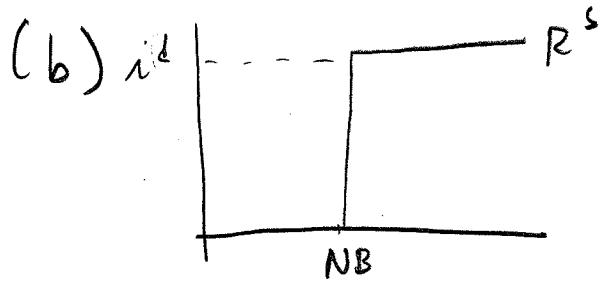
unresp (recession) fiscal " " Mon

$\Rightarrow$  fiscal useful in Recessions,

Mon " near full employment.

### Part III

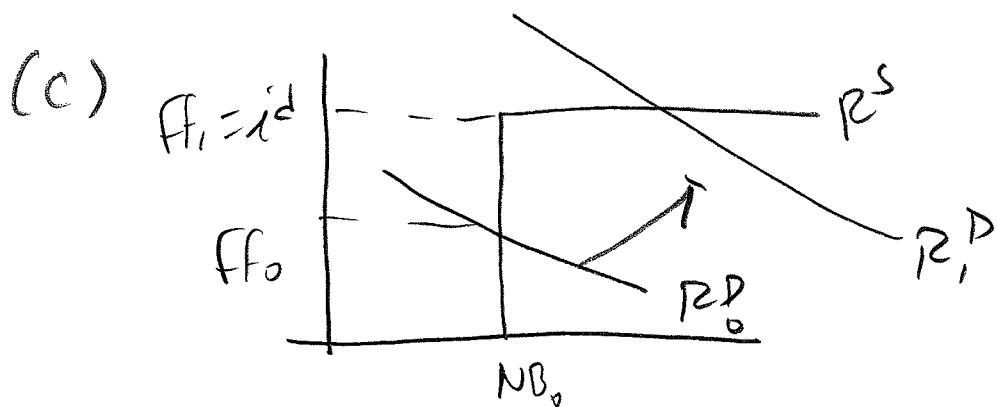
① (a) The demand curve for reserves slopes downward because when the  $i^d$ , the oppn. cost of excess reserves, held as insurance against unexpected deposit outflows, goes up.



The supply of reserves is kinked. When the FF rate is below the discount rate ( $i^d$ ), Banks will borrow on the FF-market. Since, at a point in time, the supply of non-borrowed reserves is fixed, the supply curve is vertical below  $i^d$ .

[cont.]

When the i-rate on reserves (i.e. the ff-rate) tries to rise above  $i^d$ , banks will prefer to borrow from the Fed. Since the Fed will supply all the reserves banks want at  $i^d$ , the curve is horizontal (i.e. infinitely elastic).



When  $D \uparrow$  unexpectedly, ff is "capped" by  $i^d$ .

When  $R^S$  shifts in (i.e. NB reserves  $\downarrow$ ), again, ff is "capped" by  $i^d$ .

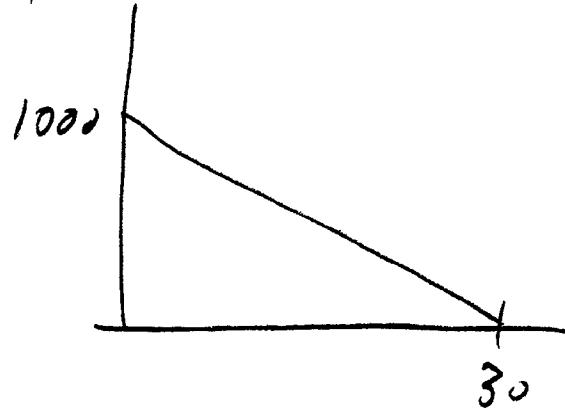
② The short answer is: the i-rate is oppor. cost of money. As i-rate ↑, cost of holding money for transactions ↑ → hold less, more detail:

Suppose an indiv. is paid \$1,000/month (in "Bonds" to make it simpler) and spends it all at a constant rate over the month. Graphically

In this case:

$$\text{Avg } \frac{M^d}{P} = 500$$

$$\text{Avg Bonds held} = 0$$



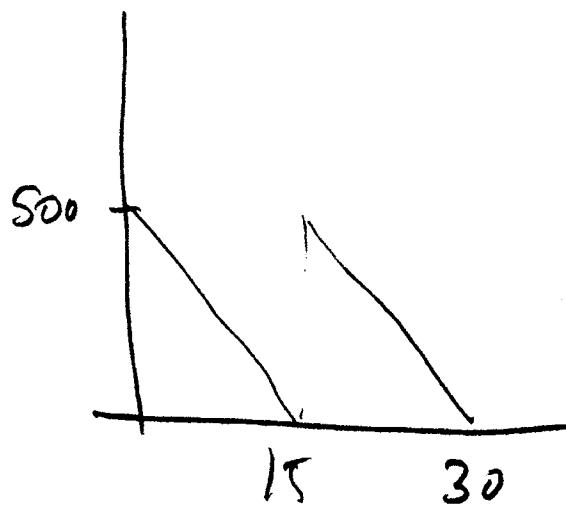
Since paid in Bonds, this requires 1 trip to the bank

What if you take 2 trips  
to take out \$500 on 1<sup>st</sup>, 15<sup>th</sup>?

Then

$$\text{Avg } \frac{M_d}{P} = 250$$

$$\text{Avg Bonds held} = 250$$

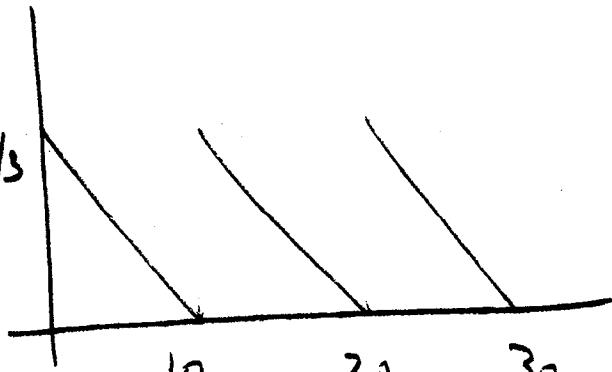


Try 3 Trips

$$\text{Avg } \frac{M_d}{P} = 167\frac{2}{3}$$

$$333\frac{1}{3}$$

$$\text{Avg Bonds} = 333\frac{1}{3}$$



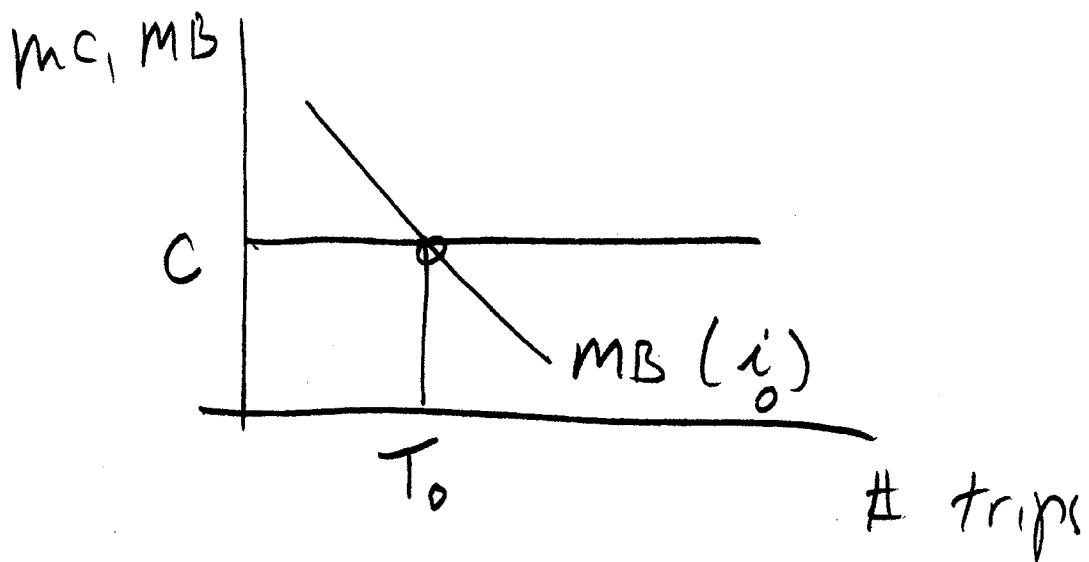
Summarize:

[cont.]

Summarize:

	$\frac{MC}{P}$	BMIs	Let i-rate be 10%
1 Trip	500	0	
2 Trip	250	250	$M_B = 25,00$
3 Trip	167\frac{2}{3}	333\frac{1}{3}	$M_B = 8,33$

So,  $M_B \downarrow$  as trips  $\uparrow$ . Let cost of a trip be constant ( $C$ )



If i-rate is 10, make  $T_0$  trips

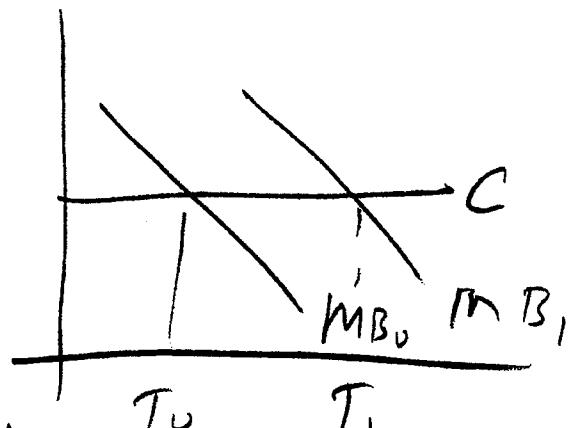
[cont.]

When  $i \uparrow$ ,  $MB \uparrow$  (more interest)

$\rightarrow$  Trips  $\uparrow$ .

From table, (Summary)

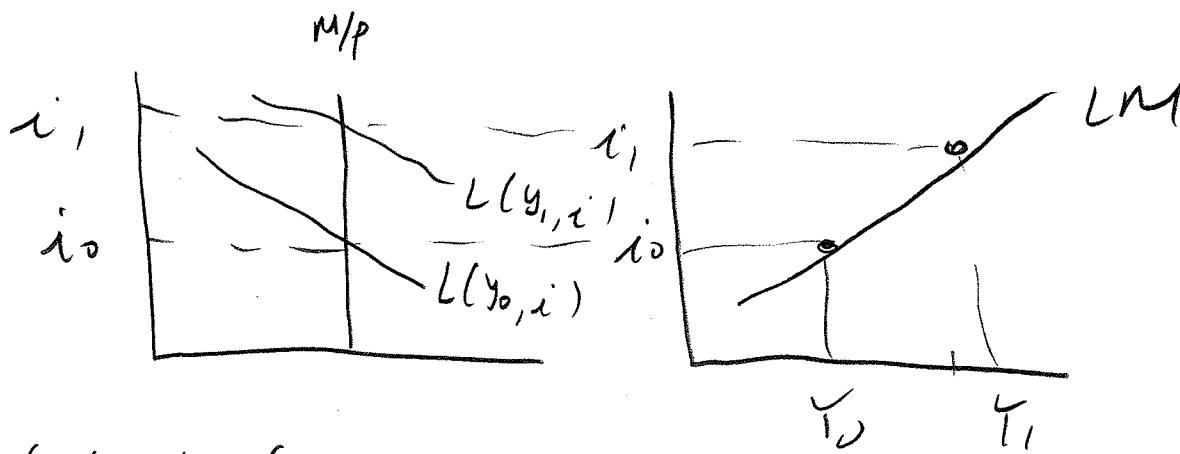
Trips  $\uparrow \rightarrow \left(\frac{mb}{p}\right)_{\text{Trav}} \downarrow$



So,  $i \uparrow \rightarrow \left(\frac{mb}{p}\right)_{\text{Trav}} \downarrow$ .

Important because it overcame objections to including  $i$ -rate in  $\frac{mb}{p}$  function.  
Keynes said Spec'd depends upon  $i$ -rate, but, resisted. This showed trans'd depends upon  $i$ , ended the controversy.

③ (a) Derive LM

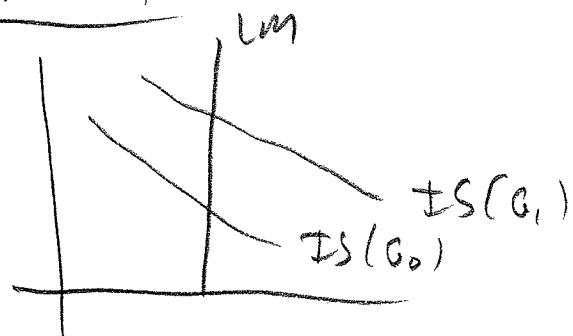


Start at  $(i_0, y_0)$ . Let  $y \uparrow \rightarrow L$  shift out  $\rightarrow i \uparrow$ . So,  $y \uparrow \rightarrow i \uparrow$ .  
(i.e.  $y \uparrow \rightarrow L \uparrow \rightarrow i \uparrow$ ).

(b) When  $\frac{M}{P} = L(Y)$ , for a given  $M$  and given  $P$ , we have one equation, one unknown  $\rightarrow$  Value of  $y$  that solves  $\frac{M}{P} = L(y)$ . Since  $y$  is the same no matter what  $i$  is, LM is:



## fiscal Policy

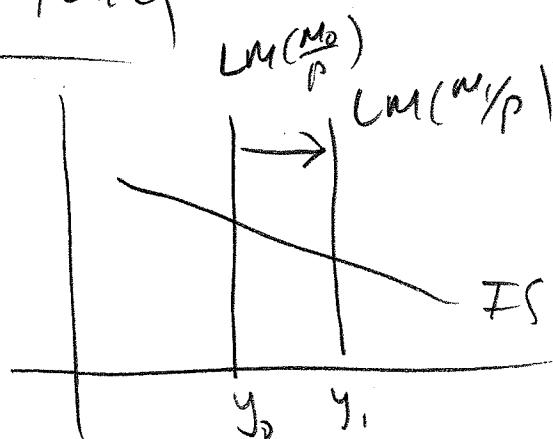


$G \uparrow \rightarrow$  no change in  $Y$ , so, not effective  
 (This case has complete crowding out

$G \uparrow \rightarrow (Y \uparrow \rightarrow L \uparrow \rightarrow i \uparrow \rightarrow \text{nx} \downarrow \rightarrow Y \downarrow)$

completely offset each other

## Monetary Policy



Mon Policy is effective.

$(M \uparrow \rightarrow i \downarrow \rightarrow I \uparrow \rightarrow \text{nx} \uparrow \rightarrow Y \uparrow \rightarrow L \uparrow \rightarrow \text{no change in } Y, S^d, \text{ no offsets.})$

$M \uparrow \rightarrow Y \uparrow$ .

(4)

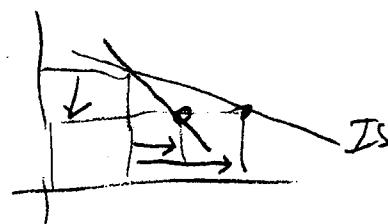
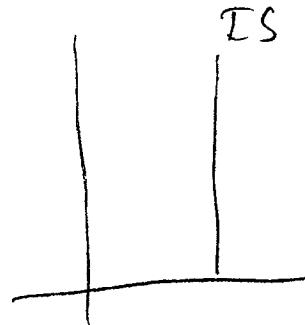
Recall slope of IS, intuitively, is

$$i \uparrow \rightarrow I \downarrow \rightarrow Y \downarrow$$

↳ when  $i$  - more responsive,  
 $Y \downarrow$  more for given  $I \uparrow$   
=> IS flatter

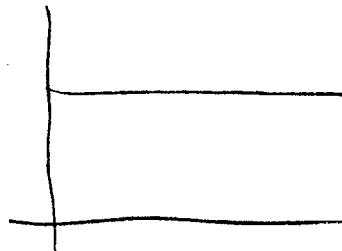
In extreme:

No responsiveness



No response

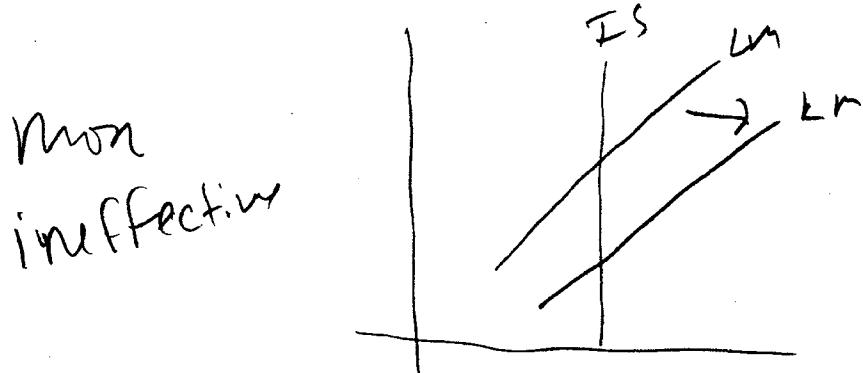
Complete responsiveness



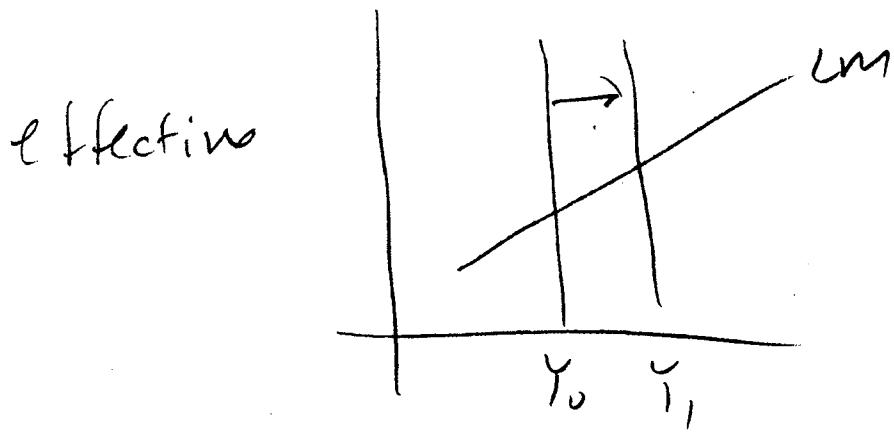
Complete  
response

Look at each

Mon - no resp case



Fiscal - no resp case



⇒ fiscal better than mon. when  
no response (as is more likely  
in recessions → see above)